

# Induced Technological Change and Energy Efficiency Improvements

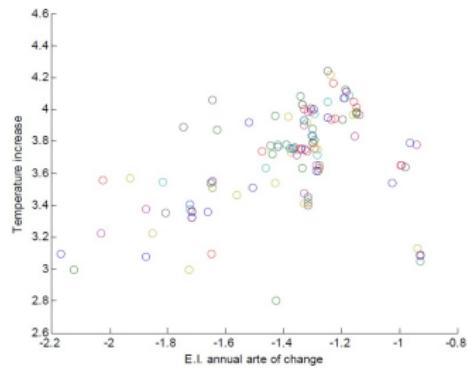
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# Motivation

determinants of CO<sub>2</sub> emissions: 1. population 2. income 3. **energy intensity** 4. carbon intensity of energy



We build a model with endogenous energy efficiency improvement and calibrate it with patent data

- demand for energy is shifted down by innovations in energy intensive sectors  
1000 additional patents -> 0.5% decline in energy use
- innovative activity is determined by
  - energy expenditure (elasticity coefficient: 0.3)
  - stock of past patents (elast. coeff.: 0.65 (domestic), 0.18 (foreign))
- Balanced Growth Path:
  - the level of innovative activity depends on the the growth rate of energy generation cost.
  - energy share is not affected by a level increase in energy price

# Production

- Final good produced using energy intensive good,  $\tilde{x}$ , and non-energy-intensive good,  $\tilde{z}$

$$y = (\tilde{x}^\rho + \tilde{z}^\rho)^{\frac{1}{\rho}} \quad (1)$$

- $\tilde{x}$  composed of continuum of intermediate goods  $i$  which require labour,  $l_i$  and energy  $x_i$ :

$$\tilde{x} = \left( \int_{-\infty}^A ((\theta^q x_q)^\alpha l_q^{1-\alpha})^\sigma dq \right)^{\frac{1}{\sigma}}$$

- intermediate goods for  $\tilde{z}$  require labour input,  $z_i$ .

$$\tilde{z} = \left( \int_0^1 (B_i z_i)^\sigma di \right)^{\frac{1}{\sigma}}$$

# Energy-Intensive Intermediate goods

Supplied by monopolist, who solves

$$V(A_i, k_i) = \max_{x_i, l_i} \{ p_i (A_i x_i)^\alpha l_i^{1-\alpha} - cx_i - wl_i - m_i + \beta V(A'_i, k'_i) \}$$

subject to

$$(A_i x_i)^\alpha l_i^{1-\alpha} = \frac{p_i^{\frac{-\sigma}{1-\sigma}}}{\int_0^1 p_j^{\frac{-\sigma}{1-\sigma}} dj} p_i^{-1}(p_{\tilde{x}} \tilde{x})$$

Flow of innovation:

$$P = aR(R^{\phi_1-1} K^{\phi_2})$$

$$A' = \theta^{(P+\sigma P^f)} A$$

## Results - theory

Proposition 1 Innovative activity in energy-intensive sector depends on energy expenditure

$$\log(P) = \phi_1 \log(cx) - \phi_1 \log(w)$$

$$+ \phi_2 \log(K_t) + \text{constant}$$

Proposition 2 Innovations in energy-intensive sector shifts down  
Marshallian demand for energy

$$\begin{aligned}\Delta \log(x) &= \Delta \log(y) - \left(1 + \frac{\alpha\rho}{1-\rho}\right) \Delta \log(c) \\ &\quad - \frac{(1-\alpha)\rho}{1-\rho} \Delta \log(w) + \frac{\alpha\rho}{1-\rho} \log(\theta) (P + \sigma P^f)\end{aligned}$$

# Flow of patents

	Granted EPO			
	(1)	(2)	(3)	(4)
energy expenditure	1.523***	0.532***	0.363***	<b>0.378***</b>
own knowledge		0.655***	0.656***	<b>0.656***</b>
foreign knowledge		0.182***	0.180***	<b>0.179***</b>
GDP per capita			0.787***	0.786***
policy index				0.0192**

# Flow of patents

	Granted EPO		
	aggregate	industry	household
	(1)	(2)	(3)
energy expenditure	<b>0.363***</b>	<b>0.222***</b>	<b>0.156</b>
own knowledge	0.656***	0.666***	0.442***
foreign knowledge	0.180***	0.207***	0.385***
GDP per capita	0.787***	0.874***	1.996***

# Change in Energy demand:

	Granted EPO			
	total		industry	household
	(1)	(2)	(3)	(5)
GDP growth	0.499***	0.494***	0.499***	0.503***
Price growth	-0.0953**	-0.102***	-0.0949**	-0.104***
total patents [1k]	<b>-0.0052*</b>	-0.00011	-0.0054*	-0.162
patents flow X stock		-0.00322		

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# Balanced Growth Path (no spillovers)

$$\Delta \log(\hat{A}) = \Delta \log(c) + \frac{1-\alpha}{\alpha} \Delta \log(B)$$

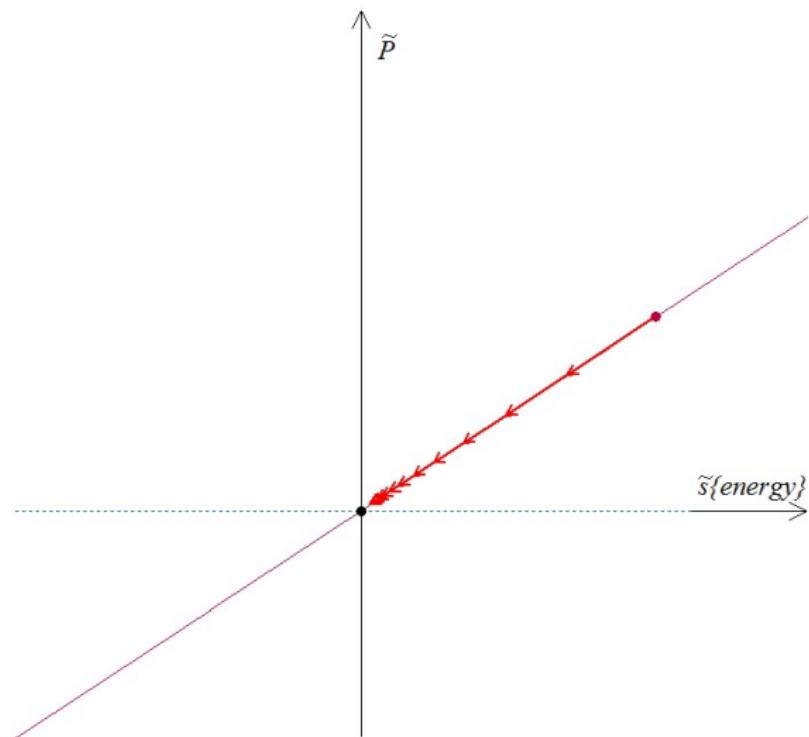
$$\Delta \log(\hat{A}) = \log(\varphi) (\hat{P} + \sigma P^f)$$

$$\log(\hat{P}) = \phi_1 \log(\hat{R}) + constant$$

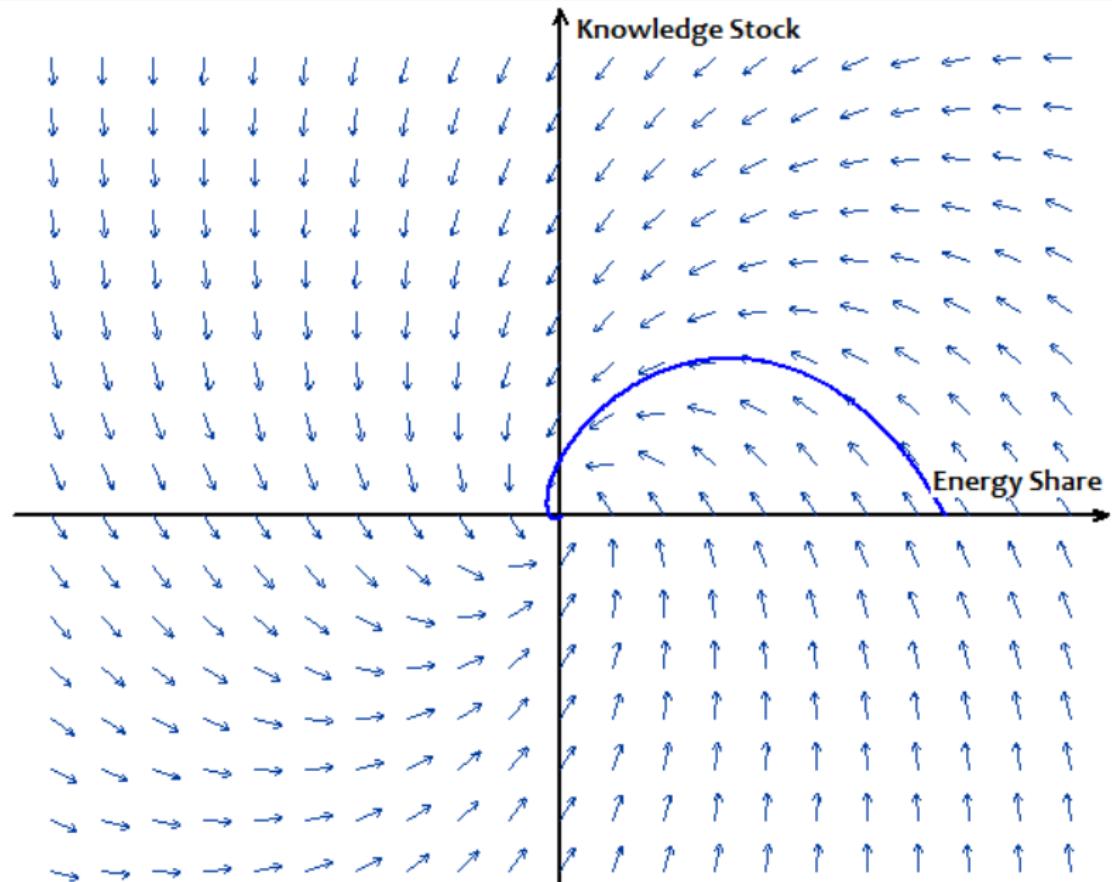
$$\log(\hat{R}) = \log\left(\frac{\hat{s}_{energy}}{\frac{1}{\mu} - \hat{s}_{energy}}\right) + \log(L - \hat{R}) + constant$$

Proposition 3 BGP energy share depends on the *growth* of energy price and growth in non-energy sector.

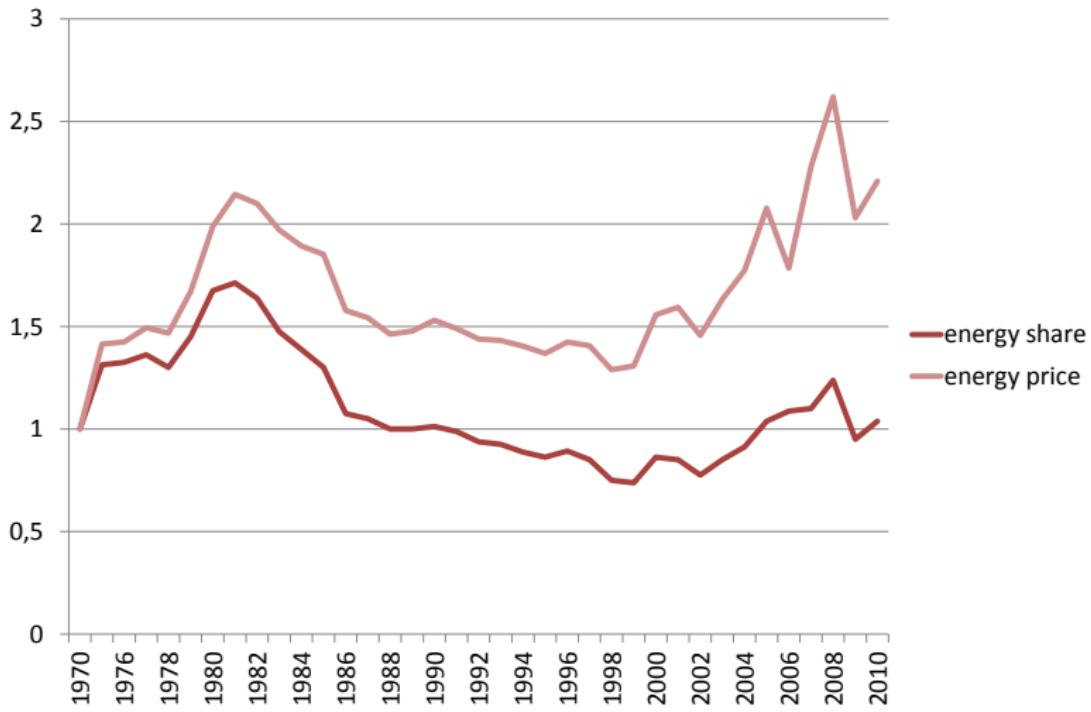
# Neighborhood of the balanced growth path (no spillovers)



# Neighborhood of the balanced growth path

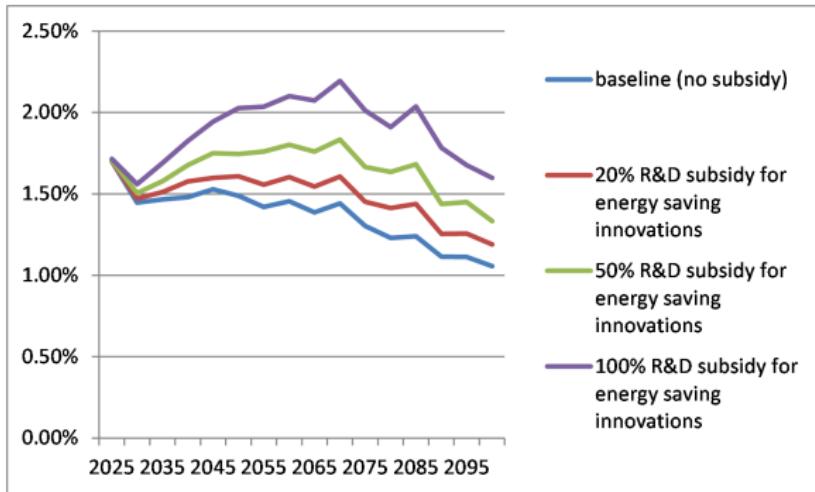


# US energy shares and prices



- 2 estimated equations provide a technology module which can be implemented in an integrated assessment model
- ① (first equation) information on the energy expenditure growth predicted by the IAM and initial flow of patents allows to predict the growth in production of patents
- ② (second equation) use this to predict growth of energy efficiency and update the knowledge stock available to the country in future periods.
- The module allows to evaluate effect of carbon taxes and R&D subsidy on energy efficiency.

# Integration into IAMs



# ACKNOWLEDGMENT



**Advanced Model Development  
and Validation for the Improved  
Analysis of Costs and Impacts  
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Thanks!